



최적설계 프로젝트 1차 발표

보온병(의) 신

이겨레 2006005326
이석근 2006030948

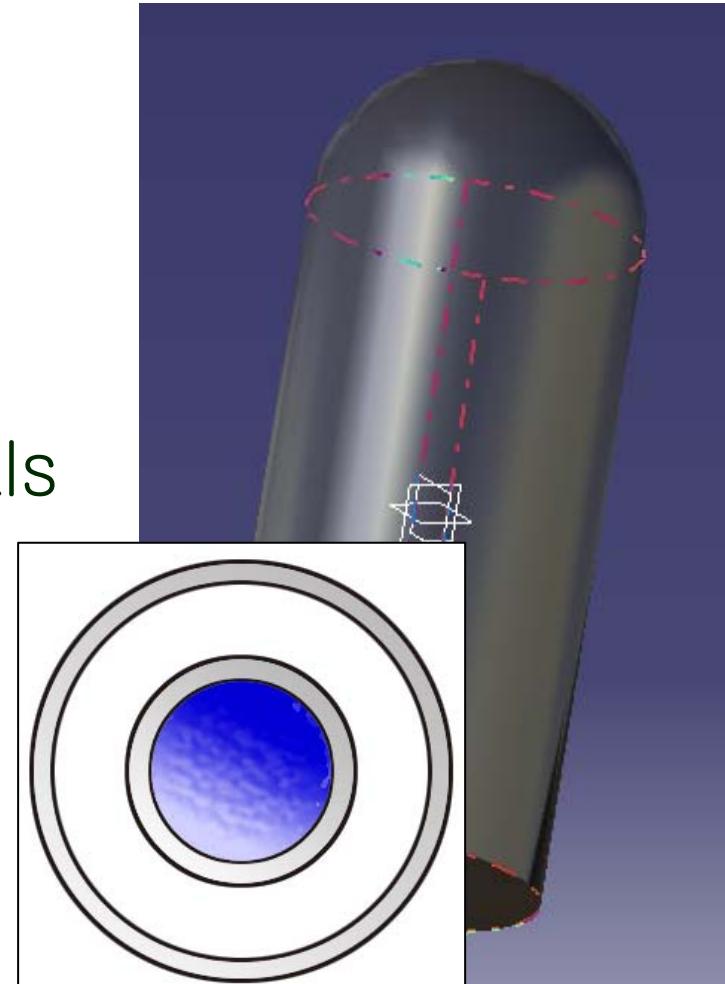
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Introduction

- ❖ Thermos bottle design
- ❖ Theory in the project
 - Heat Transfer
 - Mechanics of Materials
- ❖ Tools for the Solution
 - Excel
 - MATLAB(2차)



Step1. Project Statement

- ❖ 500mL 보온병의 설계
- ❖ 재료는 STS304를 사용
- ❖ 구속조건을 만족해야 함
- ❖ 중량을 최소화 하는 500mL 용량의 보온병 설계

Step2. Data & Information Collection

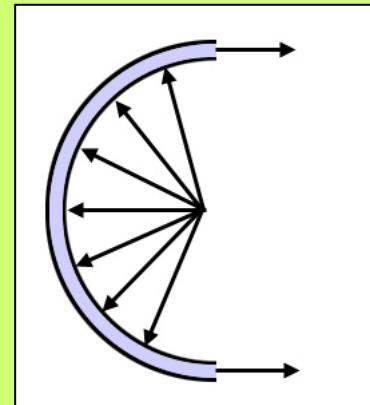
- ❖ STS304의 인장강도 205MPa
- ❖ STS304의 비중 7.93, $K_{STS304} = 13.2 \text{ W/mK}$
- ❖ 시중의 스테인레스 진공 보온병의 두께 0.3mm

Thin-walled pressure vessel

$$\sum F_x = 2F_\theta - \sum dP_r \sin \theta = 0$$

$$2F_\theta - \int dP_r \sin \theta = 2F_\theta - \int (pLr_i d\theta) \sin \theta = 0$$

$$\sigma_\theta = \frac{F_\theta}{tL} = \frac{pd}{2t} = \frac{pr}{t}$$



Step2. Data & Information Collection

❖ Theorem 2

Heat conduction in cylinders,

$$\frac{1}{r} \frac{d}{dr} \left(kr \frac{dT}{dr} \right) = 0$$

General solution of upper eqn. is

$$T(r) = C_1 \ln r + C_2$$

Thus, the heat transfer rate is

$$Q' = -k(2\pi r L) \frac{\partial T}{\partial r} = \frac{2\pi k L (T_i - T_0)}{\ln(r_0 / r_i)} = \frac{T_i - T_0}{\ln(r_0 / r_i) / 2\pi k L}$$

Step2. Data & Information Collection

❖ Theorem 3

Heat transfer from finned surfaces

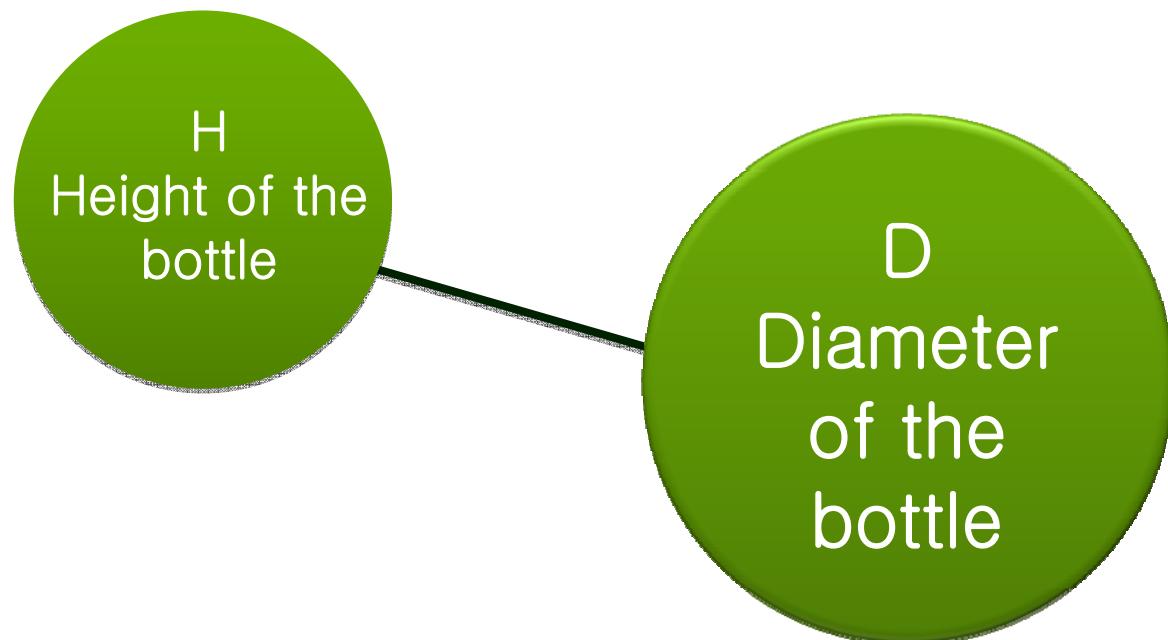
Assume that the upper side of Thermos bottle is like a thin fin. And spread the rolled surface, as width is $\pi \times D$.

$$\frac{\theta}{\theta_0} = \frac{\cosh m(L-x)}{\cosh mL}$$

Case : there is no heat flow in the tip

$$Q'_{fin} = -kA \frac{d\theta}{dx} = \sqrt{kAhP\theta_0} \tanh mL$$

Step3. Design Variables



Step4. Cost Function

- ❖ 재료는 STS304로 동일
- ❖ 최소부피가 최소비용

$$f = \frac{\pi}{4} D^2 t + \pi D \frac{3}{4} ht + \{\pi D - \pi(D - 0.5 \times 2)\}t + \frac{\pi}{4} (D-1)^2 t + (h-0.5)\pi(D-1)t$$

- ❖ t는 병의 두께로 주어진 값

Step5. Constraints

- ❖ Constraint 1
- ❖ 보온병 접촉부분의 전도에 의한 에너지

$$\frac{T_i - T_0}{D} \leq 1.5W$$
$$\ln \frac{D}{D-1}$$
$$2\pi kt$$

$$D \leq 8.047326cm$$

Step5. Constraints

❖ Constraint 2

$$\sqrt{k\pi(D-1)t \cdot h \cdot 2\{\pi(D-1)+t\}}(T_i - T_{\infty}) \tanh \sqrt{\frac{hP}{kA}}L \leq 1.5W$$

$$mL \simeq \sqrt{\frac{2h}{kA_m}} L^{\frac{3}{2}}, A_m = t \cdot L$$

thus,

$$2.34502D^2 - 35.67129D + 123.67551 \leq 0$$

Step5. Constraints

❖ Constraint 3

$$\frac{\pi}{4}(D-1)^2 \times (H - 0.5) = 500$$

❖ Constraint 4

$$\sigma_\theta = \frac{\Pr}{t}$$

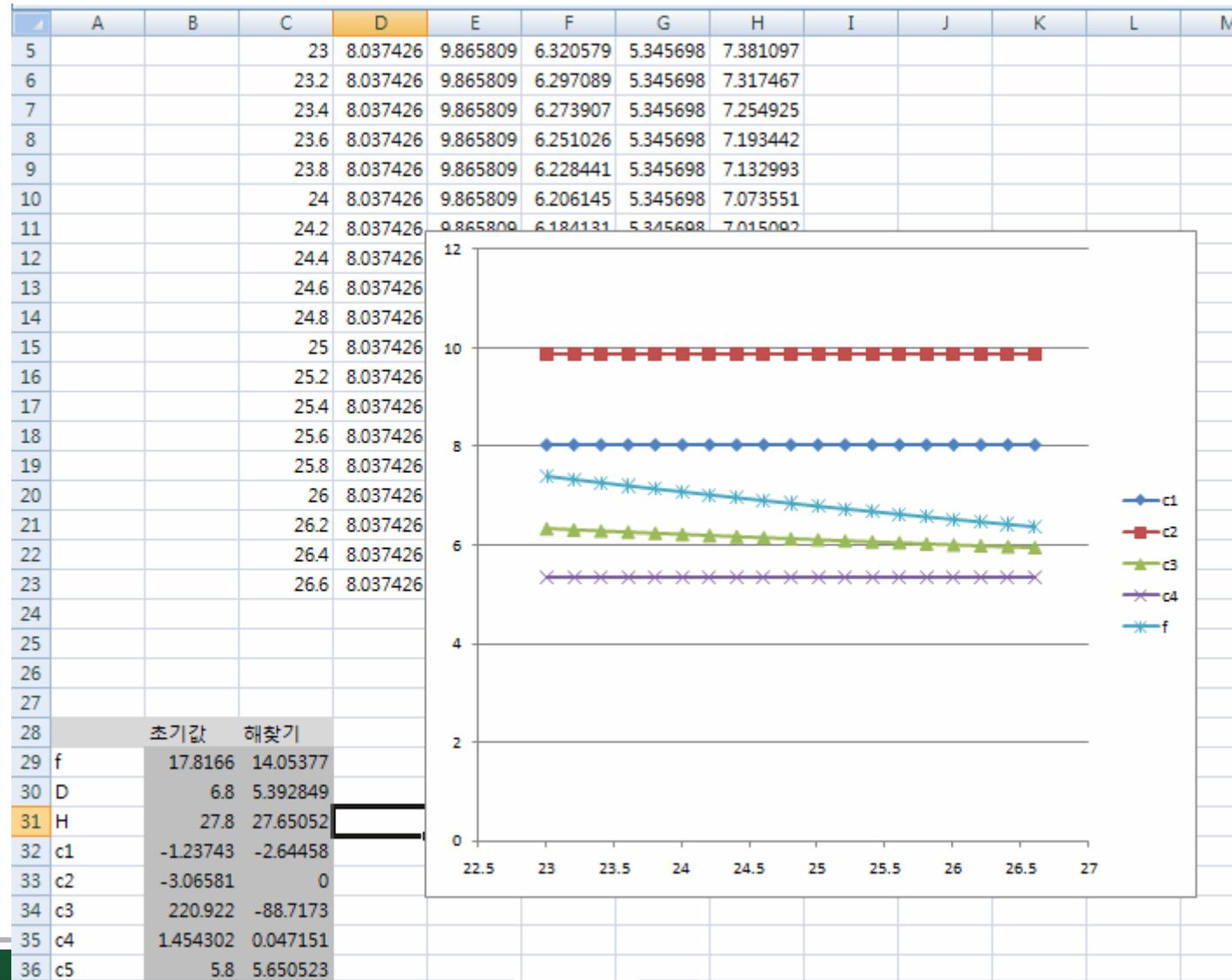
$$P = \rho_{water} gh$$

inside $\sigma_\theta = \frac{P(\frac{d}{2} - 0.0056)}{0.0003}$ outside $\frac{\Pr}{t}, \quad P = 0$

$$\sigma_\theta = 1.3573 \times 10^6 \{600d - 3.6\} \leq 68.333 \times 10^6$$

$$d \leq 0.089908 \text{ m}$$

The solution of the project





❖ 감사합니다.